

# Identifying the herding effect of Chinese stock market

Yunfei Hou, Fangli Fan, Jianbo Gao

---

Institute of Complexity Science and Big Data Technology  
Guangxi University, China

June 30, 2016

# Outline

---

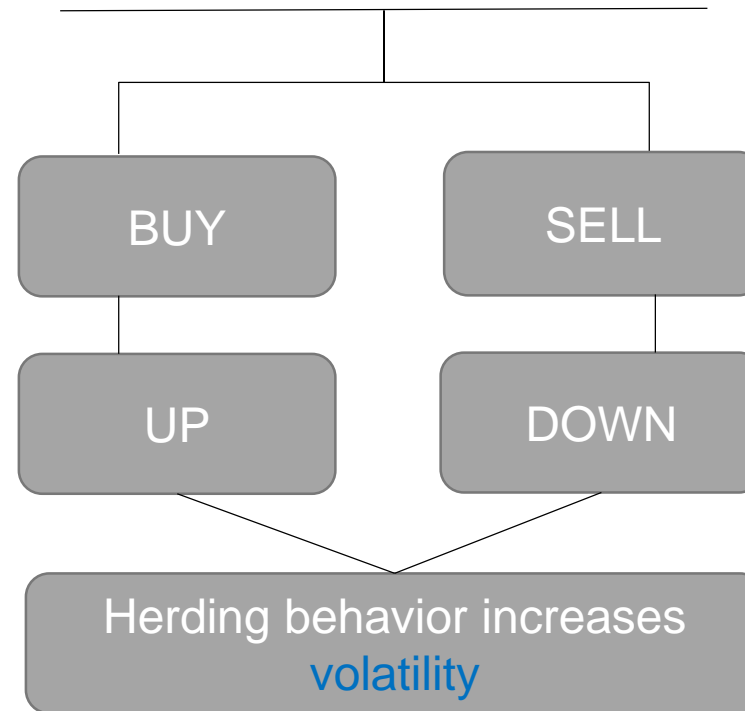
- **Introduction**
- **Method**
- **Data**
- **Conclusion**
- **Question**

# What is the herding effect ?

---

- Group mentality: follow the behavior of most people
- In the capital market: similarity of investment decision

Investor: profit or loss  
Regulator: financial security



# Mainstream method for identifying herding effect

CSAD model: (Cross Sectional Standard Deviation)

$$CSAD_t = \frac{1}{N} \sum_{i=1}^N |R_{i,t} - R_{m,t}|$$

$$CSAD_t = \alpha + \beta_1 |R_{m,t}| + \beta_2 (R_{m,t})^2 + \varepsilon_t$$

$$CSAD_t^{(down)} = \alpha + \beta_1^{(down)} |R_{m,t}^{(down)}| + \beta_2^{(down)} [R_{m,t}^{(down)}]^2 + \varepsilon_t \quad (\text{if } R_{m,t} < 0)$$

(second order coefficient  $\beta_2$  is significantly negative )

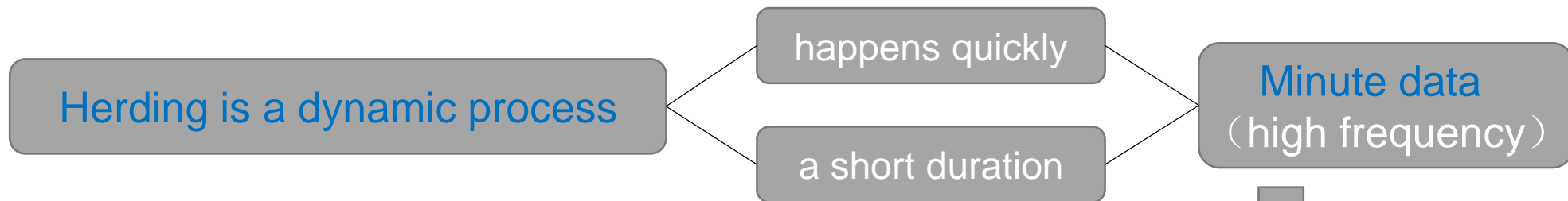
	2014	2015	2016
$\beta_2$	+12.00 (NO)	-3.99 (NO)	-0.26 (NO)
$\beta_2^{(down)}$	+4.90 (NO)	<b>-6.34 (YES)</b> <b>(-6.11***)</b>	<b>-2.7645 (YES)</b> <b>(-4.30***)</b>

# Main caveat of the approach:

---

- The approach is applied to daily stock price data of a few months long; the window has to be long to insure that the regression terms can be estimated
- The approach only tells whether the long window studied has the herding effect or not
- Herding behavior is a dynamic process; it may only occur for a few tens of minutes or even shorter
- The desired approach for studying herding behavior has to tell when and how long the behavior has occurred
- For this purpose, high frequency data has to be used

# To overcome the difficulty, high frequency data have to be used



(CSAD identifies the herding by using **daily data**)

(New method)

Correlation coefficient : 
$$R = \frac{\sum(x - \bar{x})(y - \bar{y})}{\sqrt{\sum(x - \bar{x})^2 \sum(y - \bar{y})^2}}$$

Mutual information: 
$$I(X; Y) = \sum_{x \in X} \sum_{y \in Y} p(x, y) \log \frac{p(x, y)}{p(x)p(y)}$$

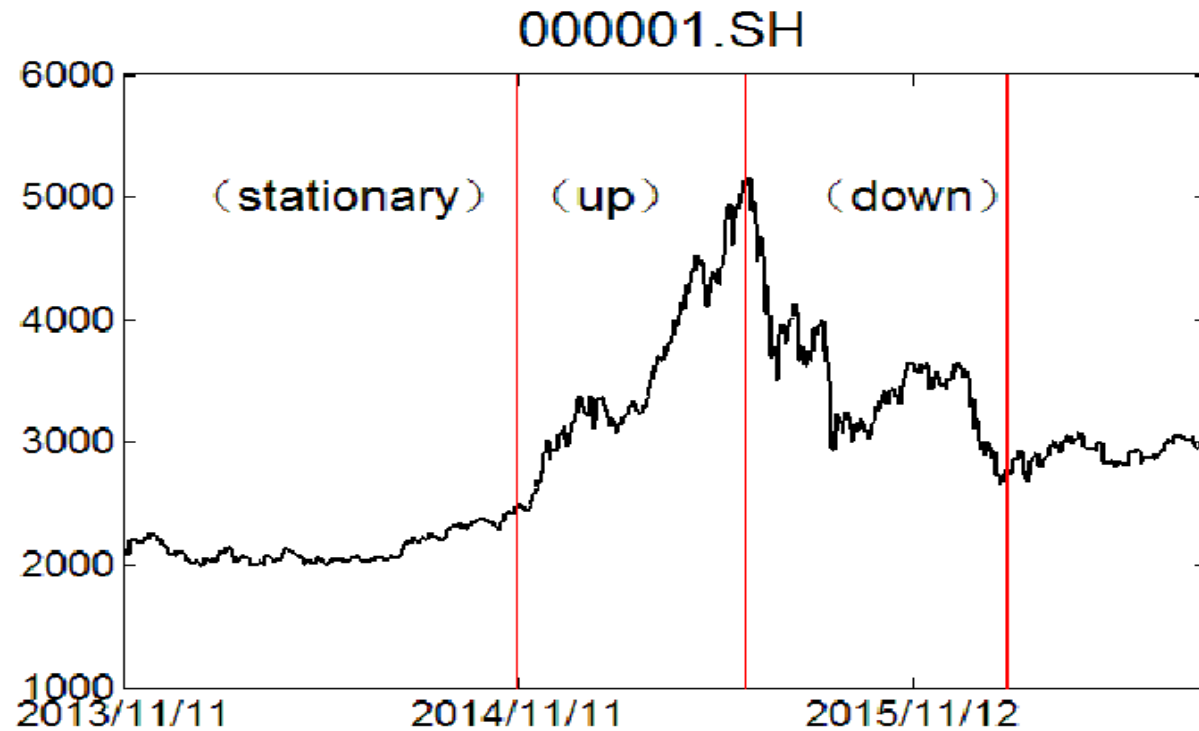
X: return of company  
Y: return of market

# Data:

---

- Data: the stock price of each company & the Composite Index
- Company: 943 in Shanghai and 1524 in Shenzhen
- Timescale: 2013/11/11—2016/08/08 (673 days)
- Minute(240 /day)-- High frequency

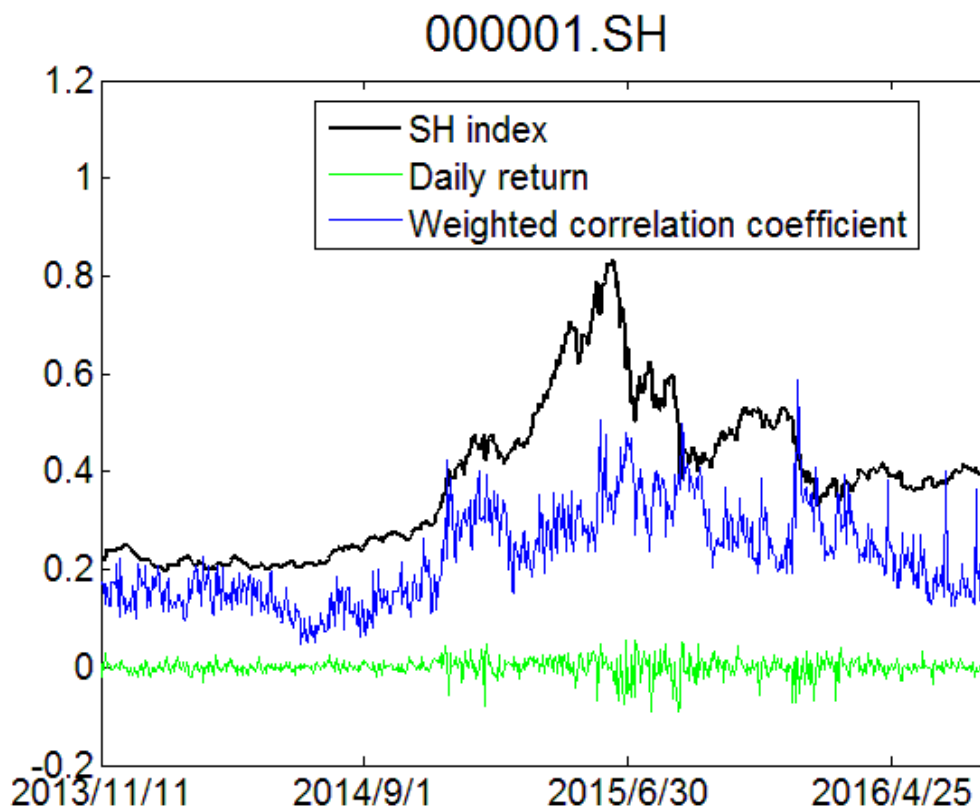
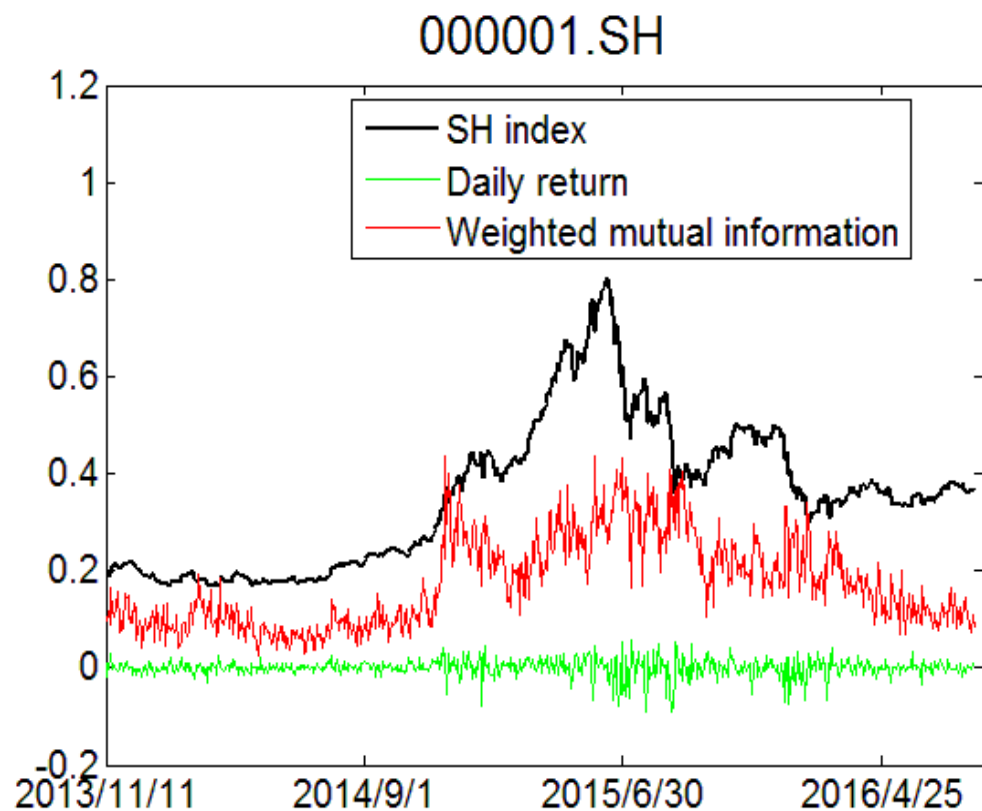
# The SH composite index in recent 3 years:



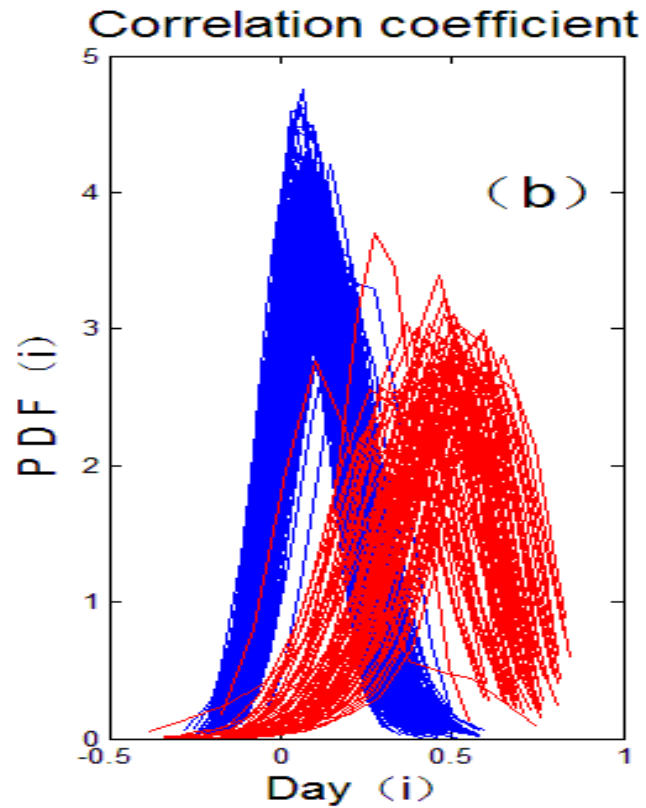
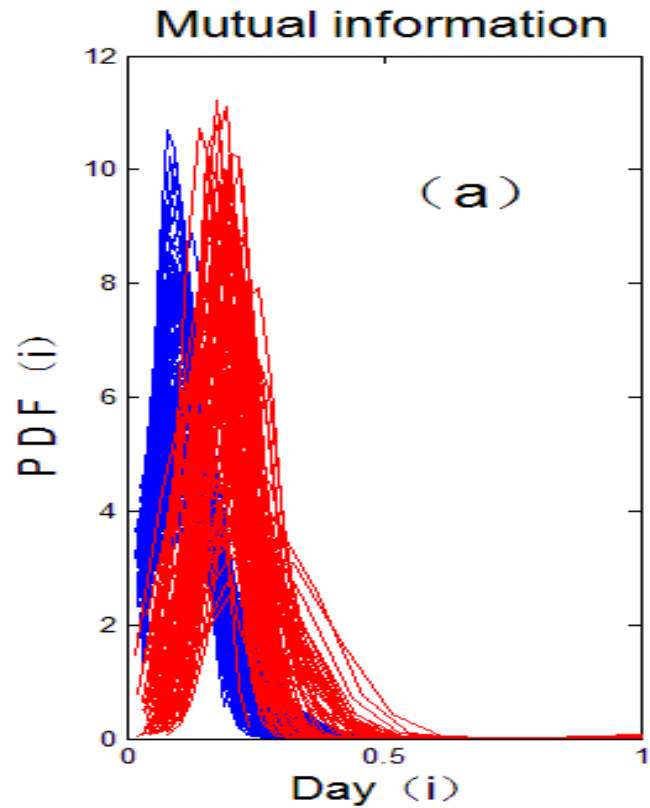
Turbulent  
2015



# Market correlation:



# Market correlation in different period:



Blue: Stationary  
Red: Turbulent

PDF (i)  
probability distribution

## **Conclusion:**

- Using **high frequency data** is the key to capturing the herding effect

## **Question:**

- Were the herding behaviors self-organized or induced by governmental policies?
- How damaging were herding behaviors to the financial system ?
- What need regulators do so that investors can be more rational ?

# THINKING:

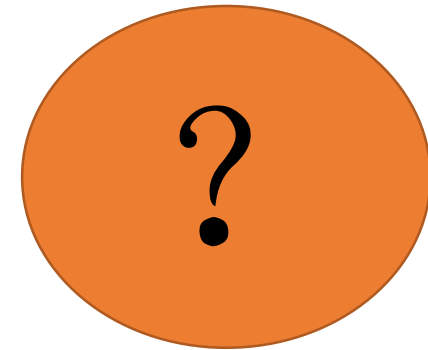
Can CSAD be replaced with Shonnon entropy ?

$$CSAD = \frac{1}{N} \sum_{i=1}^N |R_{i,t} - R_{m,t}|$$
$$Var(X) = \frac{1}{N} \sum_{i=1}^N |R_{i,t} - R_{m,t}|^2 = \frac{1}{N} \sum_{i=1}^N P_i [x_i - E(X)]^2$$
$$ShonnonEntropy = -\sum_{i=1}^N P_i \ln(P_i)$$

(X: Probability Density)

$Var(X) = N (CSAD)^2$

RELATIONSHIP



CSAD model  $\longrightarrow H_t = \alpha + \beta_1 |R_{m,t}| + \beta_2 (R_{m,t})^2 + \varepsilon_t$

Thank You !